

Flow Coefficient Cv

Extensive experimentation has shown that, in general, for a given flow passage and completely turbulent flow the relationship between fluid flow rate and pressure drop follows a power law.

$$\begin{aligned}\text{Variable: } \Delta P &= \text{Pressure drop across flow passage (PSI)} \\ Q &= \text{Volume flow rate of fluid through passage (GPM)} \\ C_v &= \text{Flow coefficient [GPM/PSI}^{1/2}\text{]}\end{aligned}$$

The flow coefficient C_v is the necessary proportionality constant, and it is typically determined experimentally. Usually, flow coefficient is expressed as the flow rate in GPM for a pressure drop of 1 PSI across a flow passage. By definition:

$$C_v = \sqrt{\frac{1}{\Delta P}}$$

A standardized test procedure for finding C_v factors is presented in ISA S75.02. A form of the equation is:

$$\Delta P = \left[\frac{Q}{C_v} \right]^2$$

Example 1:

A Hayward 1/2" True Union Ball Valve has an experimentally-determined C_v rating of 8 for water. It is required to flow 20 GPM of water through this valve. The anticipated pressure drop across this valve may be calculated as follows:

$$\Delta P = \left[\frac{20}{8} \right]^2 = 6.3 \text{ PSI}$$

Example 2:

If a 0.5 PSI pressure drop has been allotted for a Hayward 4" True Union Ball Valve, the associated flow rate may be calculated by:

$$Q = C_v \sqrt{\Delta P}$$

A Hayward 4" True Union Ball Valve has an experimentally-determined C_v rating of 600 for water. The approximate flow rate at a 0.5 PSI pressure drop is calculated by:

$$Q = 600 \sqrt{0.5} = 420 \text{ GPM}$$



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